

1. In fig (i) $AB = FE$, $BC = ED$, $AB \perp BE$, $FE \perp BE$. Prove that $\angle ADB = \angle FCE$.

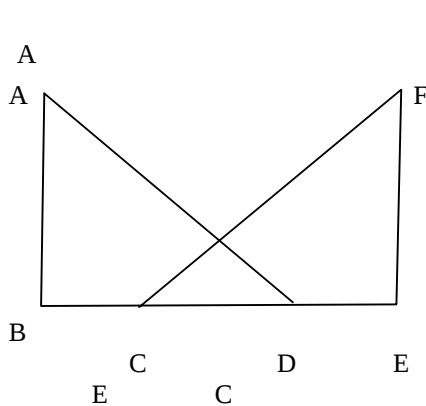


Fig (i)

(iii)

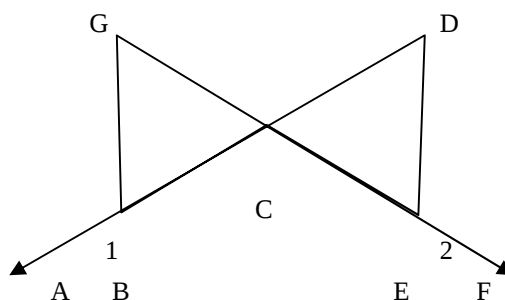
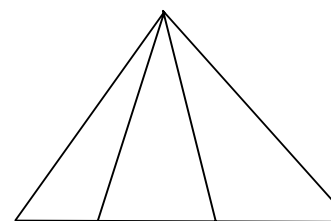


fig (ii)



B D

fig

2. In fig (ii) $BC = EC$, $\angle 1 = \angle 2$, prove that $\triangle GBC = \triangle DEC$.
3. In fig (iii) $AB = AC$ and $BE = CD$. Prove that $AE = AD$
4. In fig (iv) $AD = AC$, $\angle BAC = \angle EAD$. Prove that $AB = AE$
5. In fig (v) $\angle ABC$ is an angle in a semi-circle. Prove that $\angle ABC = 90^\circ$. (hint: Join OB)
6. In fig (vi) ABCD is a square. X & Y are points on AD and BC respectively, such that ABX . Prove that $\angle BAY = \angle ABX$.
7. In fig (vii) $AB = AC$. Is $AB > BC$?

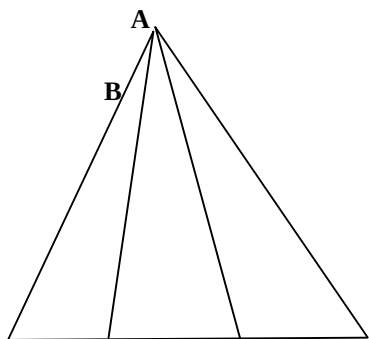
C B
E D C

Fig (iv)

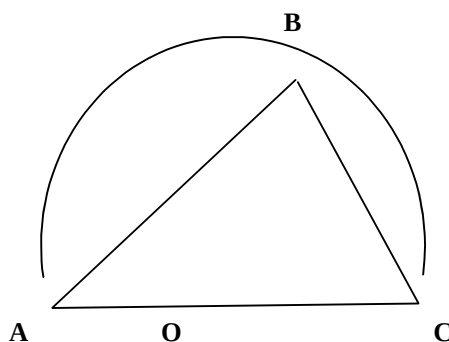


fig (v)

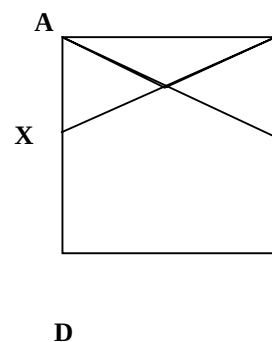
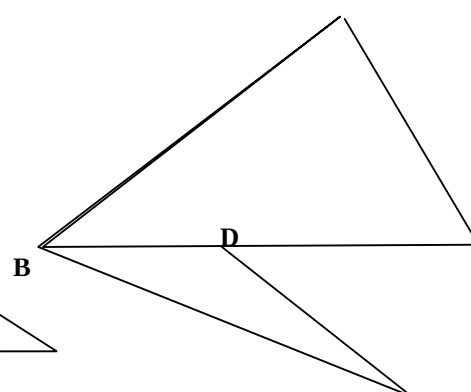
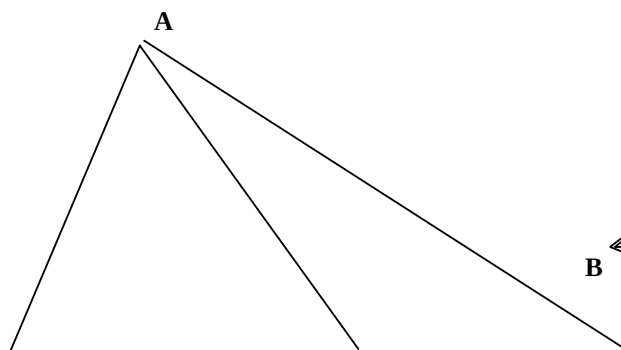
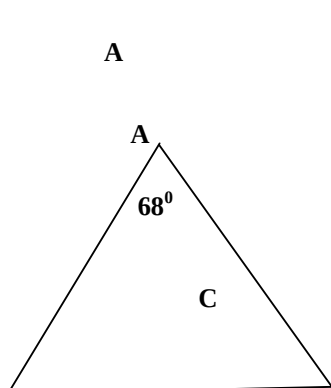
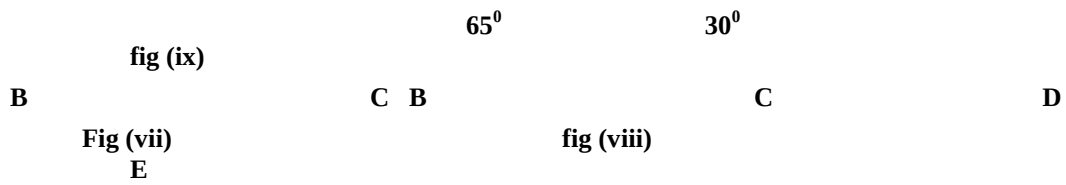


fig (vi)





8. In fig (viii), $AB = AC$. Arrange BC , CA , CD in ascending order of magnitude.
9. In fig (ix) D is a point on the side BC of a $\triangle ABC$ and E is a point such that $ED = CD$. Show that $AB + AC > BE$.