Rational Numbers													
ational Numbers are those Real numbers that can be written in $\frac{p}{q}$ form, where p and q are ntegers and q $\neq$ 0												If $\frac{a}{b}$ denotes a rational number :	
y: law followed , n : law not followed						Commutativo							a a
Numbor							ASSC		N/		additive inverse of $\frac{a}{b}$ is $-\frac{a}{b}$ and vice versa		
system	A	5				5				5	101	U	
Natural ( N)	v	n	v	n	v	n	v	n	v	n	v	n	$\left  \left  \frac{a}{b} + \left( -\frac{a}{b} \right) \right  = 0 = \left( -\frac{a}{b} \right) + \frac{a}{b} \right $
Whole (w)	v	n	v	n	v	n	v	n	v	n	y v	n	
Integer (Z)	ý	у	y	n	ý	n	ý	n	ý	n	ý	n	reciprocal or multiplicative inverse of $-$ is $ b$ a
Rational (Q)	у	у	у	n	у	n	у	n	у	n	У	n	$a \downarrow b \_ 1 \_ b \downarrow a$
$\frac{a}{0}$ is not defind division commutative associative law 0 is the addit 1 is multiplic	$\frac{2}{0}$ is not defined , however excluding zero, collection of other rational numbers is closed under livision commutative law : $a + b = b + a$ and $a \times b = b \times a$ issociative law : $a + (b + c) = (a + b) + c$ and $a \times (b \times c) = (a \times b) \times c$ 0 is the additive identity for rational numbers 1 is multiplicative identity for rational numbers												All rational numbers except zero have a reciprocal Distributive property of multiplication over addition and subtraction : For any three rational numbers a, b and c a(b + c) = ab + ac a(b - c) = ab - ac
Between any contractional number of the second sec	two also	rationa ration ration	al num al num al , whe	bers the bers , bere a< c	ere are	$\begin{array}{c} 1 \\ \hline 3 \\ \hline 9 \\ \hline$							